

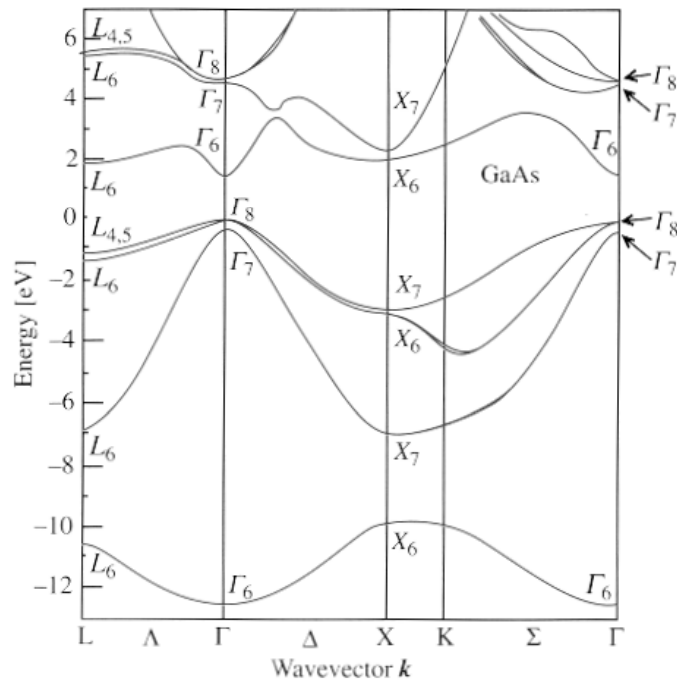
Strongly correlated many-body systems: from electrons in solids to ultracold atoms

Eugene Demler

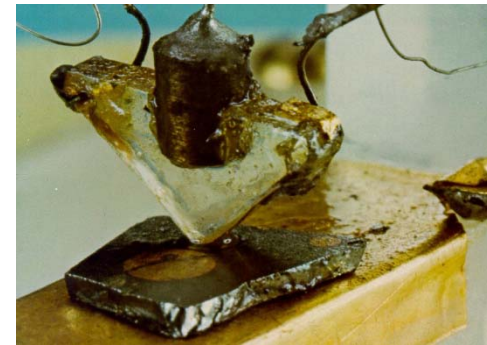
“Standard” model of electrons in solids

High density of electrons. Band theory. Description in terms of weakly interacting Landau electrons.

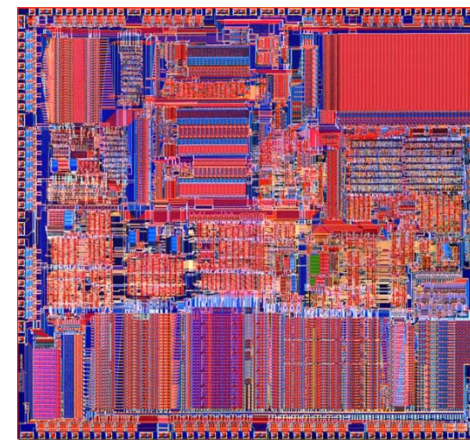
Au, Cu, Si, GaAs, ...



Electronic band structure of GaAs



First semiconductor transistor

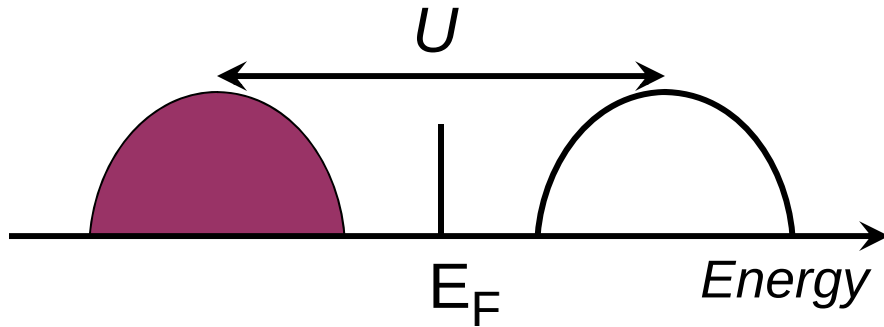


Intel 386DX microprocessor

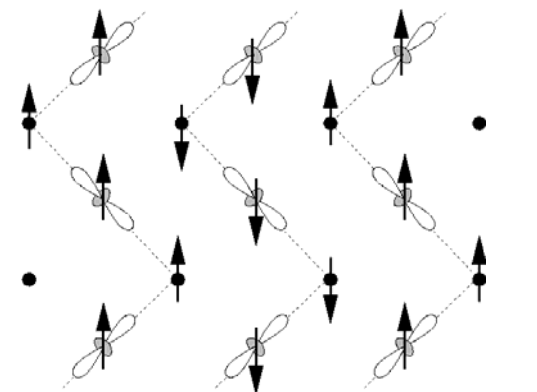
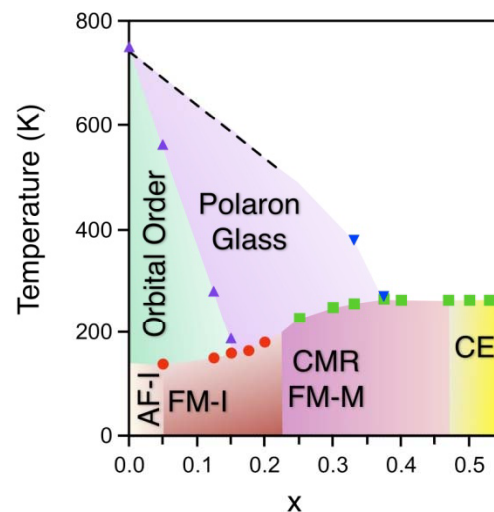
Strongly correlated electron systems

Low density of electrons. Interactions localize electrons. Hubbard bands. Unusual

thermodynamic and transport properties. Spin and orbital ordering. Quantum magnetism.

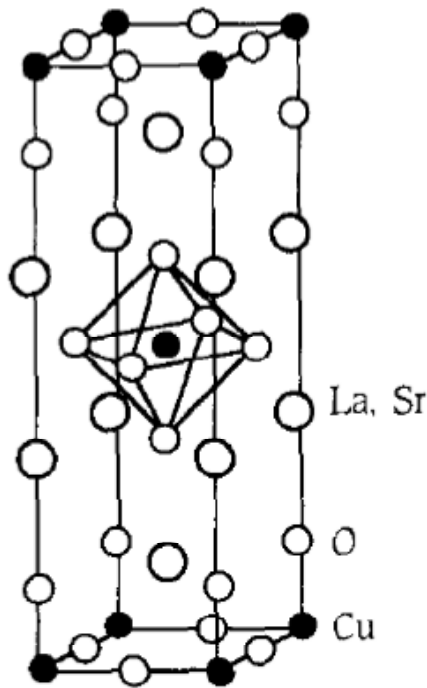


Phase diagram of $\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$

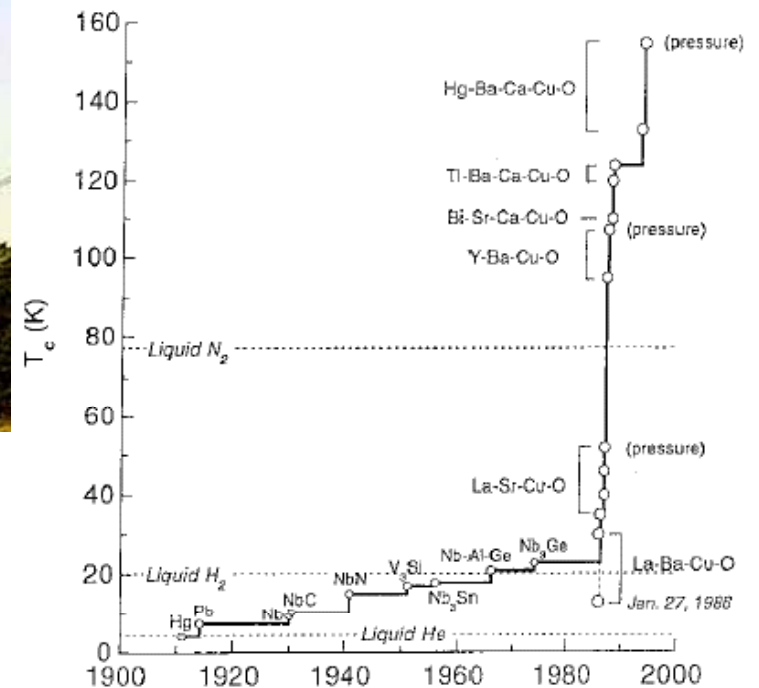


Ordered state for $x=0.5$

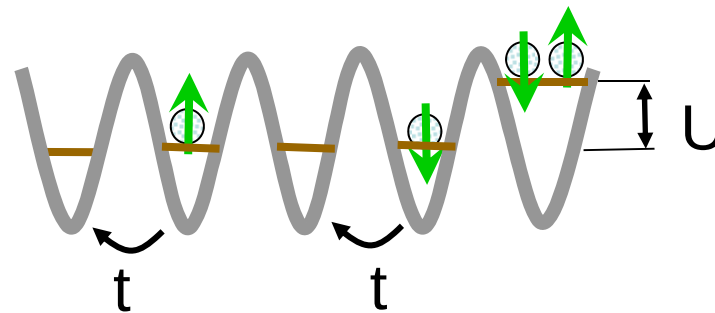
High T_c superconductors

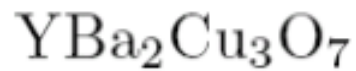
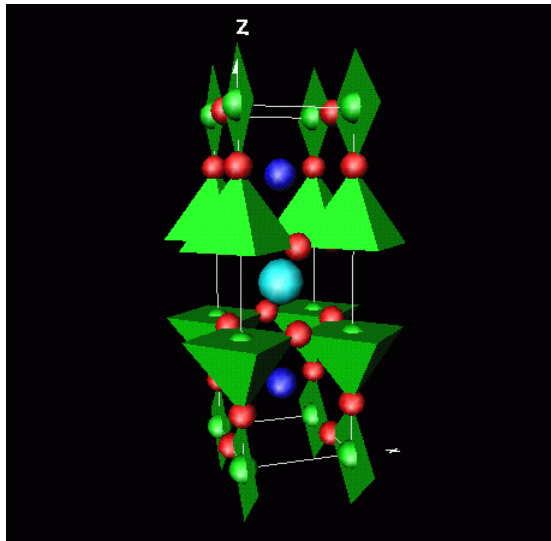


The structure of La_2CuO_4

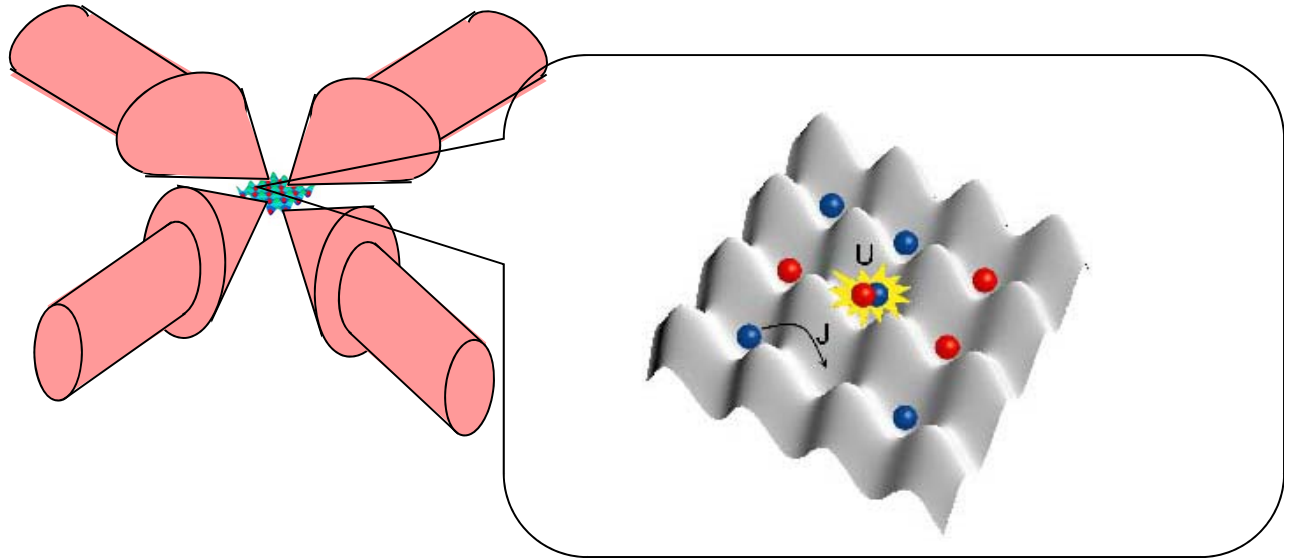


Microscopic description:
Hubbard model





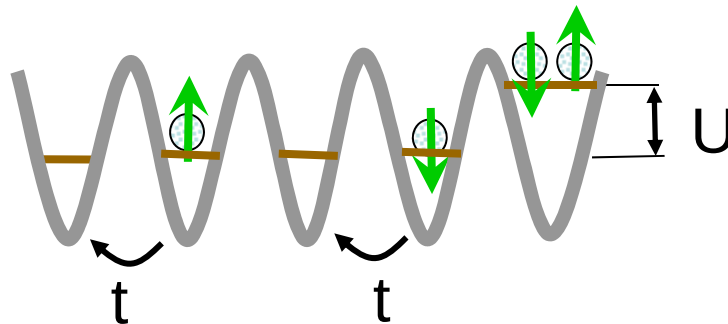
Antiferromagnetic and
superconducting T_c
of the order of 100 K



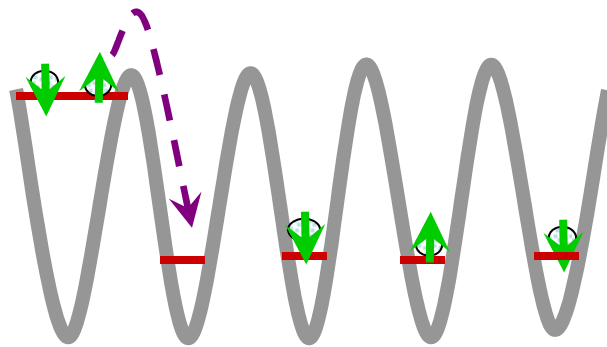
Atoms in optical lattice

Antiferromagnetism and
pairing at sub-micro Kelvin
temperatures

Same microscopic model

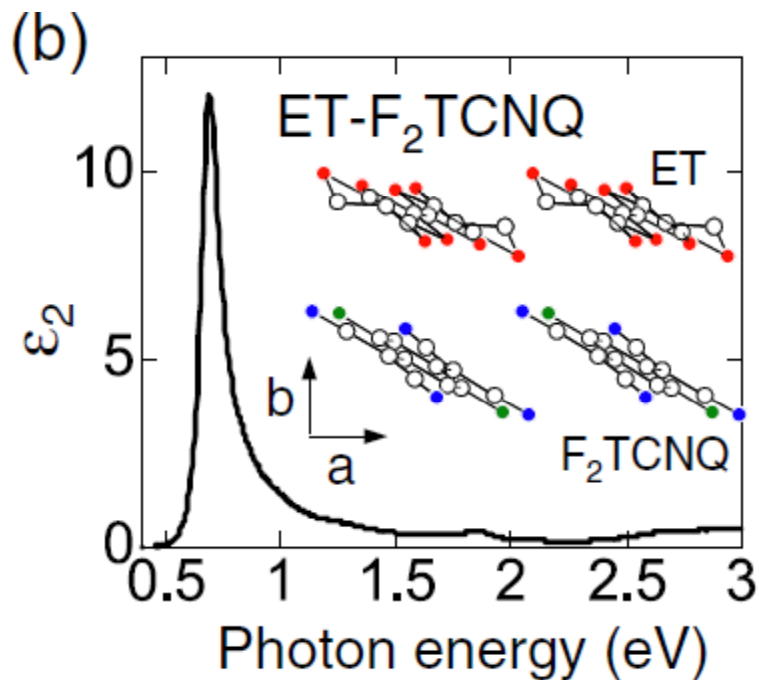


Doublon relaxation in organic Mott insulators

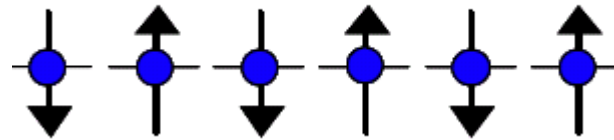


One dimensional Mott insulator ET-F₂TCNQ

bis(ethylenedithio)tetrathiafulvalene difluorotetracyanoquinodimethane



Mott-insulator state



$$t=0.1 \text{ eV}$$

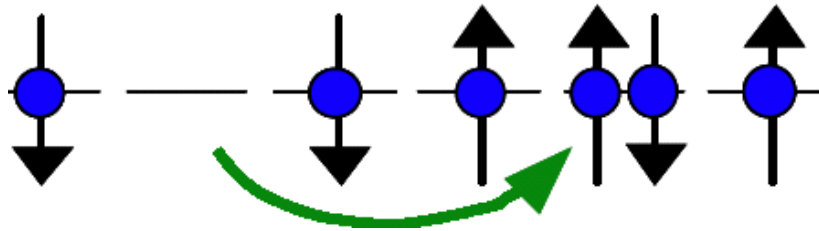
$$U=0.7 \text{ eV}$$

Photoinduced metallic state

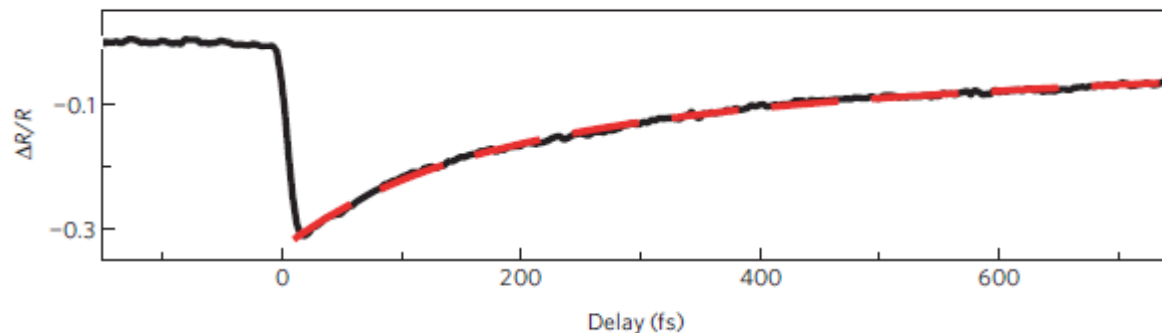
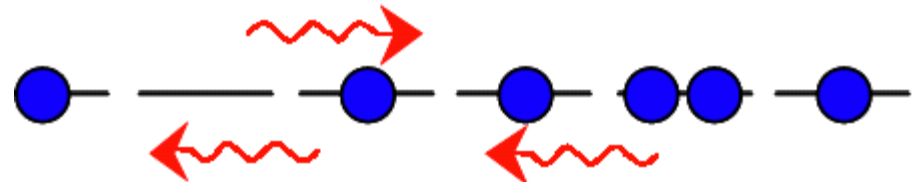
H. Okamoto et al., PRL 98:37401 (2007)

S. Wall et al. Nature Physics 7:114 (2011)

Photoexcitations



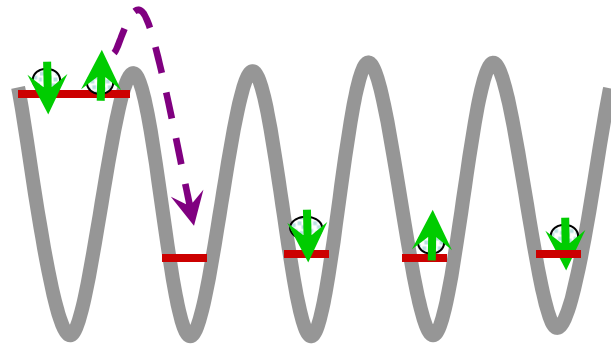
Conducting state by photo-doping



Surprisingly long relaxation time 840 fs

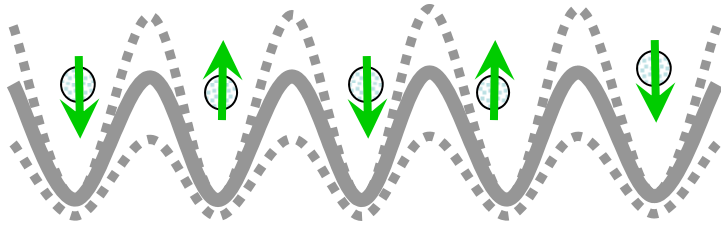
$$\hbar/t = 40 \text{ fs}$$

Doublon relaxation in ultracold Fermi gases

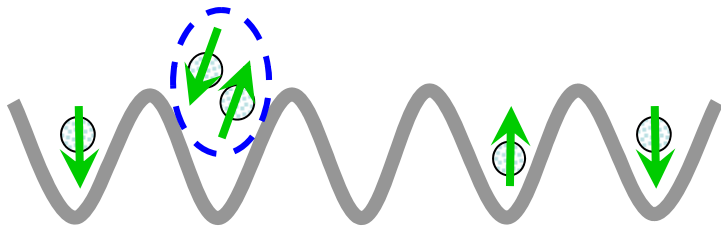


Lattice modulation experiments

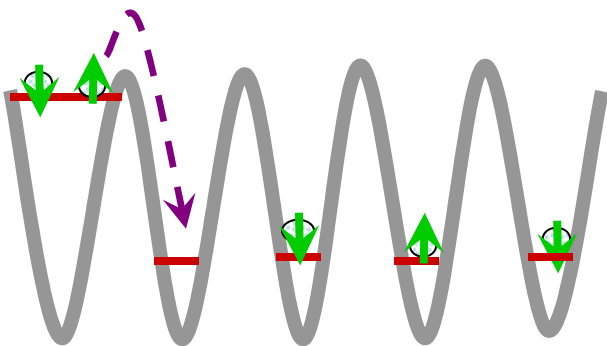
Probing dynamics of the Hubbard model



Modulate lattice potential V_0



Measure number of doubly occupied sites



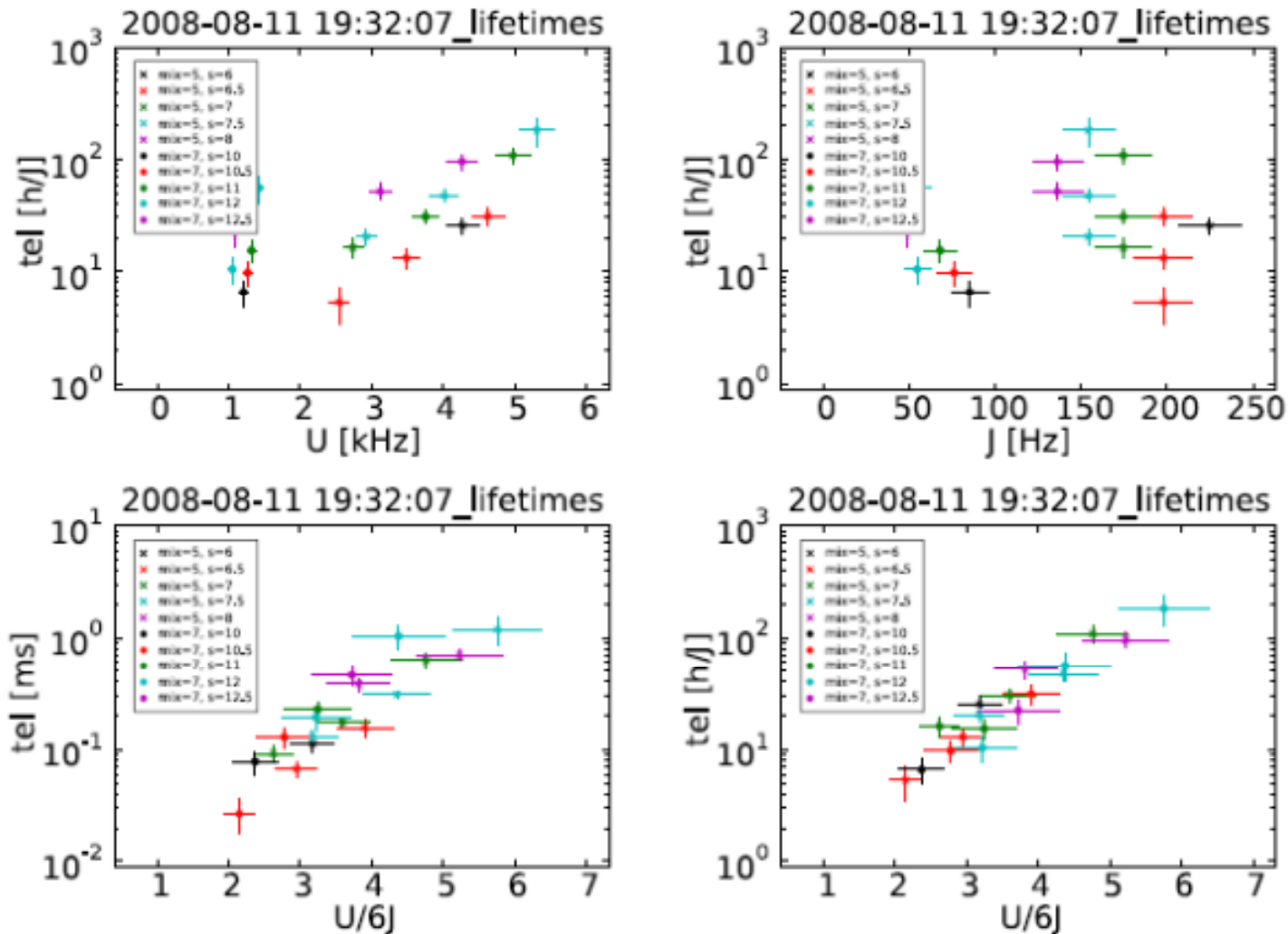
Measure how long it takes for doublons to decay

Ref: N. Strohmaier et al., PRL 104:80401 (2010)
Experiment: T. Esslinger's group at ETH
Theory: Pekker et al., Harvard

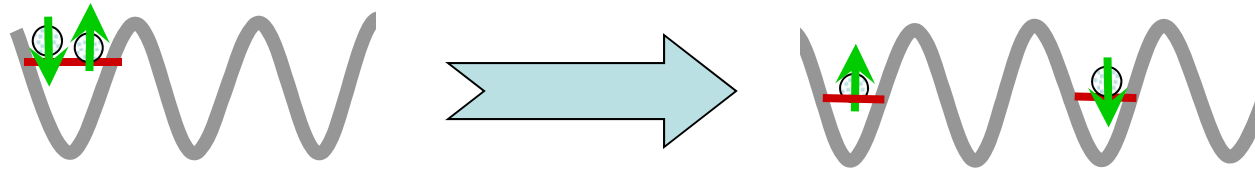
Fermions in optical lattice.

Decay of repulsively bound pairs

Experiments: N. Strohmaier et. al.



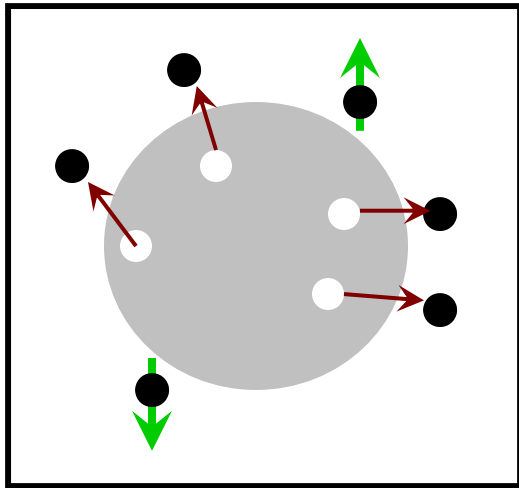
Doublon decay in a compressible state



Excess energy U is converted to kinetic energy of single atoms
Kinetic energy scale set by bandwidth

$$w = 12 t$$

Compressible state: Fermi liquid description



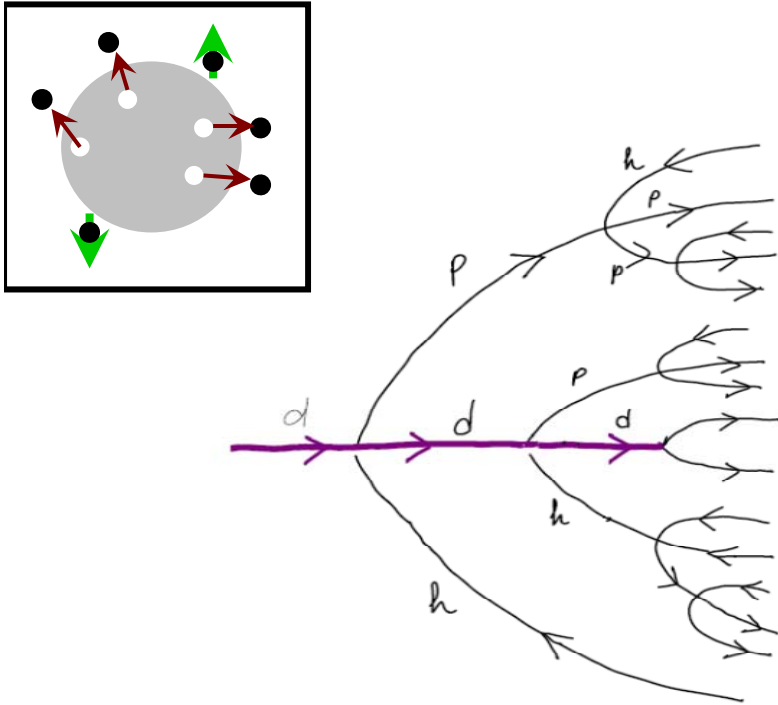
Perturbation theory to order $n=U/w$
Decay probability

$$\frac{1}{\tau} \sim \left(\frac{t}{U}\right)^{\text{const}} \times \frac{U}{w}$$

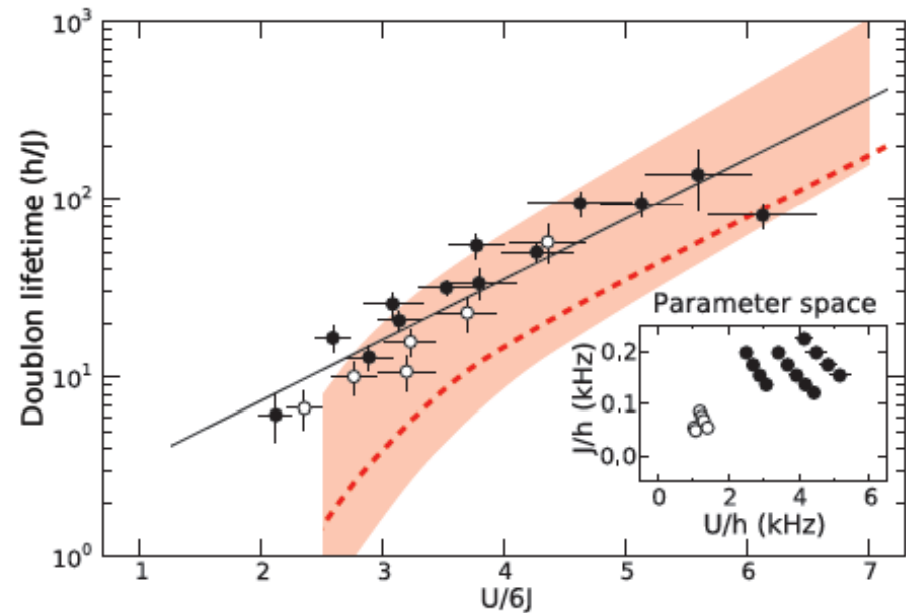
Doublon can decay into a pair of quasiparticles with many particle-hole pairs

$$e^{-\text{const} \times \frac{U}{w} \times \log \frac{U}{t}}$$

Doublon decay in a compressible state



To calculate the rate: consider processes which maximize the number of particle-hole excitations

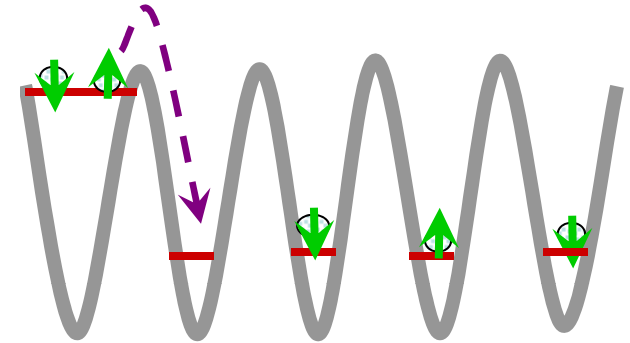
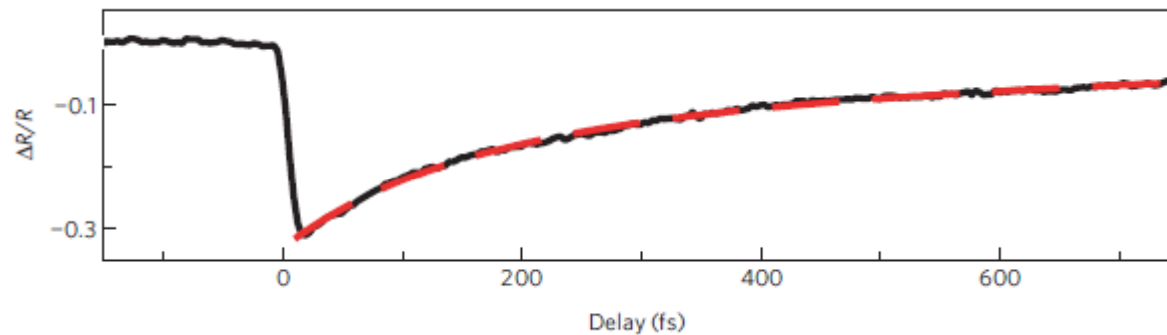


$$\tau \sim \frac{2h}{t} e^{1.6 \frac{U}{w}}$$

Photoinduced metallic state

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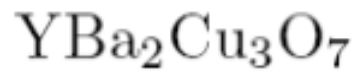
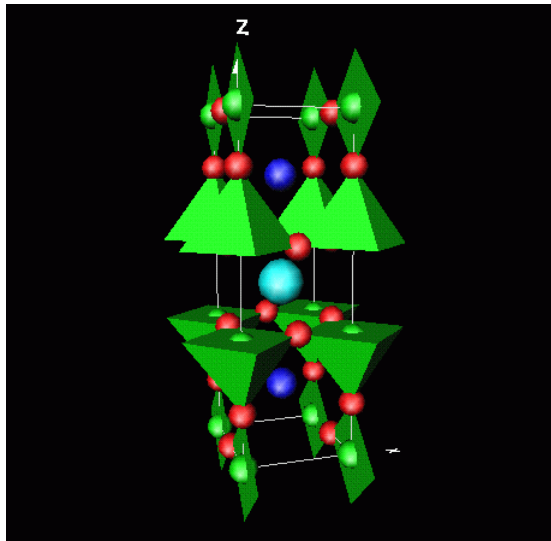


$$\tau \sim \frac{2\hbar}{t} e^{1.6 \frac{U}{w}} \\ \sim 1400 \text{ fs}$$

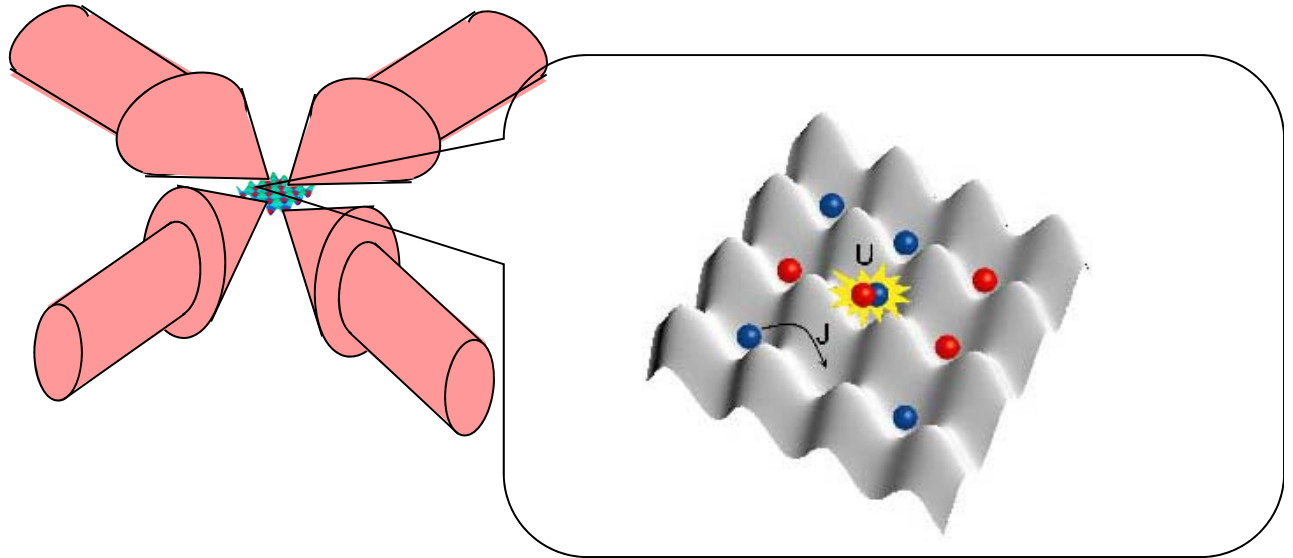
$$t=0.1 \text{ eV}$$

$$w=4t=0.4 \text{ eV}$$

$$U=0.7 \text{ eV}$$



Antiferromagnetic and
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